$\mathbf{P}(\mathbf{A} \mid \mathbf{B})$ asks that we find the probability of $A$ given that we know $B$ has or already occurred. Using a formula find the probability of A given B can be found using $\mathbf{P}(\mathbf{A} \mid \mathbf{B})=\frac{\mathrm{P}(\mathrm{A} \text { and } \mathrm{B})}{\mathrm{P}(\mathrm{B})}$

## CONDITIONAL PROBABILITY

1. Determine the following conditional probabilities.

Consider drawing 1 card from a standard deck of shuffled cards:

i. $\quad \mathrm{P}($ Queen $\mid$ Face Card $)=\begin{array}{r}\text { Reduced Fraction: } \\ \end{array}$
iv. $P($ Card with a Letter $\mid$ King $)=$

Reduced Fraction:
ii. $\quad \mathrm{P}($ Ace $\mid$ Lettered Card $)=$ Reduced Fraction:
v. $P($ number less than $6 \mid$ Face $\operatorname{Card})=$

Reduced Fraction:
iii. $\mathrm{P}($ Heart with a Number $\mid \operatorname{Red} \operatorname{Card})=$ Reduced Fraction: vi. $\quad \mathrm{P}($ Odd Number $\mid$ Numbered Card $)=$

Reduced Fraction:
2. Consider the following table with information about all of the students taking Statistics at Phoenix High School.
A. $\quad \mathrm{P}($ Full-time $\mid$ Male $)=\begin{array}{r}\text { Reduced Fraction: } \\ \end{array}$ C. $\quad \mathrm{P}($ Female $\mid$ Part-time $)=\square^{\text {Reduced Fraction: }}$
B. $\quad \mathrm{P}($ Male $\mid$ Full-time $)=\begin{array}{r}\text { Reduced Fraction: } \\ \end{array}$
D. $\mathrm{P}($ Full-time $\mid$ Part-time $)=\begin{array}{r}\text { Reduced Fraction: } \\ \end{array}$

|  | Full- <br> time | Part- <br> Time | Total |
| :--- | :---: | :---: | :---: |
| Female | 28 | 15 | 43 |
| Male | 12 | 16 | 28 |
| Total | 40 | 31 | 71 |

